



# Oyster Modeling Overview

ABSI CAB 01/08/2020

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# What I want to tell you about:

1. How this work fits in the broader project
2. My task
3. CAB role
4. Model in a nutshell
5. Model objectives
6. Model structure
7. Model data
8. Model outputs

# 1. How this fits in the bigger picture

- **Hydrologic model**
  - Climate, water use & mgmt. → water, nutrients entering bay
- **Hydrodynamic model**
  - Water entering bay → water qual. throughout bay
- **Oyster model**
  - Water, mgmt., restoration → oyster populations and fisheries

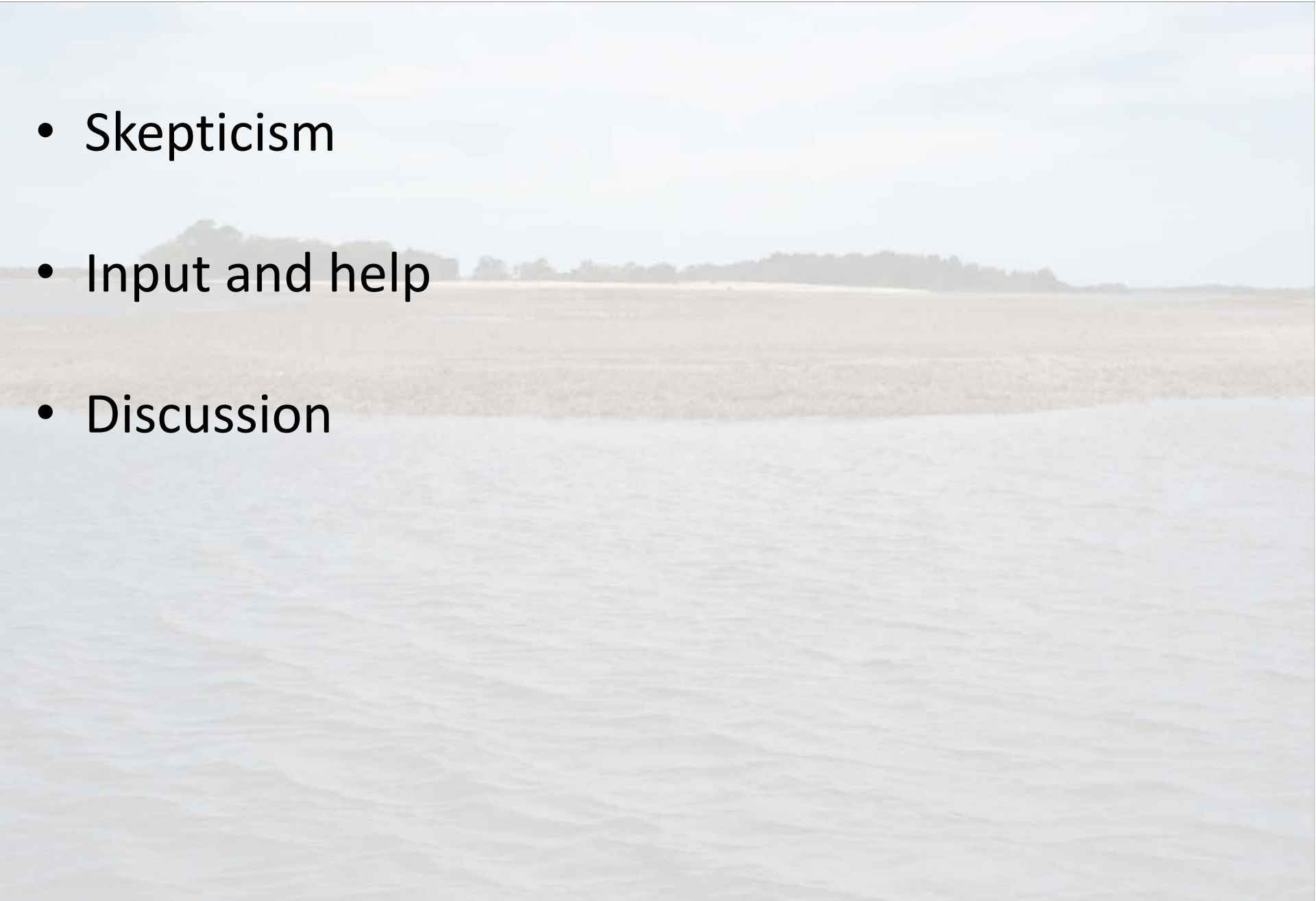
## 2. My Task

- Guide development of oyster model
  - Oyster populations, fisheries
  - Scientifically rigorous and CAB-approved



### 3. CAB role

- Skepticism
- Input and help
- Discussion



# 4. Model in a nutshell

```
for (i in 2:years){
  for (k in 2:(nsites+1)) {
    #actual effort
    et[i,k] <- total_et * eff[k]
    et[i,k]=0;      if(i>=fish_strt) et[i,k] = total_et * eff[k]
    et[i,1]=et[i,2]; et[i,nsites+2]=et[i,nsites+1];
    hr[i,k] <- fishing * (1-exp(-et[i,k]*qt))
    hr[i,1]=hr[i,2]; hr[i,nsites+2]=hr[i,nsites+1];

    #Set up stocking, no stocking for 30 years, then start stocking at a constant rate#
    st[i,sites]=0;    if(i>=30) st[i,sites] = stock[k]*(1-ism)

    #recruitment unpacking
    ssb_tot[i,k] = eggs[i-1,k] + eggs_hat[i-1,k]
    ssb_tot[i,1]=ssb_tot[i,2]; ssb_tot[i,nsites+2]=ssb_tot[i,nsites+1];

    #dispersal
    larv[i,k] = sum(eggs[i-1,sites] * prob_mat[k,sites])
    larv[i,k] = eggs[i-1,k]
    larv[i,1]=larv[i,2]; larv[i,nsites+2]=larv[i,nsites+1];

    larv_hat[i,k] = sum(eggs_hat[i-1,sites] * prob_mat[k,sites])
    larv_hat[i,k] = eggs_hat[i-1,k]
    larv_hat[i,1]=larv_hat[i,2]; larv_hat[i,nsites+2]=larv_hat[i,nsites+1];
    larv_tot[i,k] = larv[i,k] + larv_hat[i,k]
    larv_tot[i,1]=larv_tot[i,2]; larv_tot[i,nsites+2]=larv_tot[i,nsites+1];

    #first stage of density dependence
    N1_hat[i,k] = (larv_hat[i,k]*(1-hert_hat)) * f[i,k]*a1_hat[k]/(1+b1[i,k]*larv_tot[i,k])
    N1_w[i,k] = (larv[i,k] + (hert_hat*larv_hat[i,k])) * f[i,k]*a1[k]/(1+b1[i,k]*larv_tot[i,k])

    #second stage of density dependence
    N2_tot[i,k] = N1_hat[i,k] + N1_w[i,k] + st[i,k]
    R_hat[i,k] = N1_hat[i,k]*a2_hat[k]/(1+b2[i,k]*N2_tot[i,k])
    R_st[i,k] = st[i,k]*a2_st[k]/(1+b2[i,k]*N2_tot[i,k])
    R[i,k] = N1_w[i,k]*a2[k]/(1+b2[i,k]*N2_tot[i,k])

    #subjecting recruits to some mortality before they become age 1's
    nage[i,1,k]= R[i,k]*So.5
    nage[i,1,1] = nage[i,1,2]; nage[i,1,nsites+2] = nage[i,1,nsites+1]
    nage_hat[i,1,k] = R_hat[i,k]*So.5
    nage_hat[i,1,1] = nage_hat[i,1,2]; nage_hat[i,1,nsites+2] = nage_hat[i,1,nsites+1]
    nage_st[i,1,k] = R_st[i,k]*So.5
    nage_st[i,1,1] = nage_st[i,1,2]; nage_st[i,1,nsites+2] = nage_st[i,1,nsites+1]
```



# 4. Model in a nutshell

1. Oysters and fisheries assumptions
2. Translate to math and statistical equations

```
for (i in 2:years){
  for (k in 2:(nsites+1)) {
    #actual effort
    #open site loop back up again
    #fishing effort, so just a function of total state-wide effort, first 30 years, then stocking at number stock
    et[i,k] = fishing * (1 - exp(-et[i,k] * qt)) #fishing is just a flag, then harvest rate per usual
    hr[i,k] <- fishing * (1 - exp(-et[i,k] * qt))
    #Set up stocking, no stocking for 30 years, then start stocking at a constant rate
    st[i,sites] = 0; if (i>=30) st[i,sites] = stock[k] * (1 - sm) #not stocking for first 30 years, then stocking at number stock, r
    #recruitment unpacking
    ssb_tot[i,k] = eggs[i-1,k] + eggs_hat[i-1,k]
    ssb_tot[i,1] = ssb_tot[i,2]; ssb_tot[i,nsites+2] = ssb_tot[i,nsites+1]
    #dispersal
    larv[i,k] = sum(eggs[i-1,sites] * prob_mat[k,sites])
    larv[i,k] = eggs[i-1,k]
    larv[i,1] = larv[i,2]; larv[i,nsites+2] = larv[i,nsites+1];
    larv_hat[i,k] = sum(eggs_hat[i-1,sites] * prob_mat[k,sites])
    larv_hat[i,k] = eggs_hat[i-1,k]
    larv_hat[i,1] = larv_hat[i,2]; larv_hat[i,nsites+2] = larv_hat[i,nsites+1]
    larv_tot[i,k] = larv[i,k] + larv_hat[i,k]
    larv_tot[i,1] = larv_tot[i,2]; larv_tot[i,nsites+2] = larv_tot[i,nsites+1]
    #first stage of density dependence
    N1_hat[i,k] = (larv_hat[i,k] * (1 - hert_hat)) * f[i,k] * a1_hat[k] * (1 - N1_w[i,k])
    N1_w[i,k] = (larv[i,k] + (hert_hat * larv_hat[i,k])) * f[i,k] * a1[k]
    #second stage of density dependence
    N2_tot[i,k] = N1_hat[i,k] + N1_w[i,k] + st[i,k]
    R_hat[i,k] = N1_hat[i,k] * a2_hat[k] / (1 + b2[i,k] * N2_tot[i,k])
    R_st[i,k] = st[i,k] * a2_st[k] / (1 + b2[i,k] * N2_tot[i,k])
    R[i,k] = N1_w[i,k] * a2[k] / (1 + b2[i,k] * N2_tot[i,k])
    #subjecting recruits to some mortality before they become age 1
    nage[i,1,k] = R[i,k] * So.5
    nage[i,1,1] = nage[i,1,2]; nage[i,1,nsites+2] = nage[i,1,nsites+1] #So.5 is set to 1, so this isn't operational here (used for when c
    nage_hat[i,1,k] = R_hat[i,k] * So.5 #mirrors
    nage_hat[i,1,1] = nage_hat[i,1,2]; nage_hat[i,1,nsites+2] = nage_hat[i,1,nsites+1] #mirrors
    nage_st[i,1,k] = R_st[i,k] * So.5 #note here is where you would have added post recruit st
    nage_st[i,1,1] = nage_st[i,1,2]; nage_st[i,1,nsites+2] = nage_st[i,1,nsites+1] #mirrors
```





# 4. Model in a nutshell

```
for (i in 2:years){
  for (k in 2:(nsites+1)) {
    #actual effort
    et[i,k] = effort[i,k]
    #total effort, so just a function of total state-wide effort
    #first 30 years, then stocking at number stock
    hr[i,k] <- fishing * (1 - exp(-et[i,k] * qt))
    #fishing is just a flag, then harvest rate per usual
    #Set up stocking, no stocking for 30 years, then start stocking at a constant rate
    st[i,nsites+1] = 0; st[i,nsites+2] = t[i,nsites+1] * stock[k] * (1 -ism)
    #not stocking for first 30 years, then stocking at number stock,
    #total wild and hat eggs
    #do i need this?
    sssb_tot[i,k] = eggs[i-1,k] + eggs_hat[i-1,k]
    sssb_tot[i,1] = sssb_tot[i,2]; sssb_tot[i,nsites+2] = sssb_tot[i,nsites+1];

    #dispersal
    larv[i,k] = sum(eggs[i-1,nsites] * prob_mat[k,nsites])
    larv[i,k] = eggs[i-1,k]
    larv[i,1] = larv[i,2]; larv[i,nsites+2] = larv[i,nsites+1];

    larv_hat[i,k] = sum(eggs_hat[i-1,nsites] * prob_mat[k,nsites])
    larv_hat[i,k] = eggs_hat[i-1,k]
    larv_hat[i,1] = larv_hat[i,2]; larv_hat[i,nsites+2] = larv_hat[i,nsites+1];
    larv_tot[i,k] = larv[i,k] + larv_hat[i,k]
    larv_tot[i,1] = larv_tot[i,2]; larv_tot[i,nsites+2] = larv_tot[i,nsites+1];

    #first stage of density dependence
    N1_hat[i,k] = (larv_hat[i,k] * (1 - hert_hat)) * f[i,k] * a1_hat[k] / (1 - b1[i,k] * N1_hat[i,k])
    N1_w[i,k] = (larv[i,k] + (hert_hat * larv_hat[i,k])) * f[i,k] * a1[k] / (1 - b1[i,k] * N1_w[i,k])

    #second stage of density dependence
    N2_tot[i,k] = N1_hat[i,k] + N1_w[i,k] + st[i,k]
    R_hat[i,k] = N1_hat[i,k] * a2_hat[k] / (1 - b2[i,k] * N2_tot[i,k])
    R_st[i,k] = st[i,k] * a2_st[k] / (1 - b2[i,k] * N2_tot[i,k])
    R[i,k] = N1_w[i,k] * a2[k] / (1 - b2[i,k] * N2_tot[i,k])

    #subjecting recruits to some mortality before they become age 1's
    nage[i,1,k] = R[i,k] * So.5
    nage[i,1,1] = nage[i,1,2]; nage[i,1,nsites+2] = nage[i,1,nsites+1]
    #mirrors
    nage_hat[i,1,k] = R_hat[i,k] * So.5
    nage_hat[i,1,1] = nage_hat[i,1,2]; nage_hat[i,1,nsites+2] = nage_hat[i,1,nsites+1] #mirros
    nage_st[i,1,k] = R_st[i,k] * So.5
    nage_st[i,1,1] = nage_st[i,1,2]; nage_st[i,1,nsites+2] = nage_st[i,1,nsites+1] #mirros
  }
}
```

1. Oysters and fisheries assumptions
2. Translate to math and statistical equations
3. Revise with CAB input





# 4. Model in a nutshell

```
for (i in 2:years){
  for (k in 2:(nsites-1)) {
    #actual effort
    #open site loop back up again
    #total effort, so just a function of total state-wide effort
    #first 30 years, then stocking at number stock
    et[i,k] = fishing * (1 - exp(-et[i,k] * qt))
    hr[i,k] = fishing * (1 - exp(-et[i,k] * qt))
    #fishing is just a flag, then harvest rate per usual
    #Set up stocking, no stocking for 30 years, then start stocking at a constant rate
    st[i,nsites] = 0;
    if (i > 30) st[i,nsites] = stock[k] * (1 - sm)
    #not stocking for first 30 years, then stocking at number stock,
    #total wild and hat eggs
    #do i need this?
    ssb_tot[i,k] = eggs[i-1,k] + eggs_hat[i-1,k]
    ssb_tot[i,1] = ssb_tot[i,2]; ssb_tot[i,nsites-2] = ssb_tot[i,nsites-1];
    #use this density dependence to size the egg
    #use this density dependence to size that
    #mirrors
    larv[i,k] = sum(eggs[i-1,nsites] * prob_mat[k,nsites])
    larv_hat[i,k] = sum(eggs_hat[i-1,nsites] * prob_mat[k,nsites])
    larv_hat[i,1] = eggs_hat[i-1,k]
    larv_hat[i,1] = larv_hat[i,2]; larv_hat[i,nsites-2] = larv_hat[i,nsites-1]; #mirrors
    larv_tot[i,k] = larv[i,k] + larv_hat[i,k]
    larv_tot[i,1] = larv_tot[i,2]; larv_tot[i,nsites-2] = larv_tot[i,nsites-1]; #mirrors
    #first stage of density dependence
    N1_hat[i,k] = (larv_hat[i,k] * (1 - hert_hat)) * f[i,k] * a1_hat[k] / (1 + b1[i,k] * larv_tot[i,k])
    N1_w[i,k] = (larv[i,k] + (hert_hat * larv_hat[i,k])) * f[i,k] * a1[k] / (1 + b1[i,k] * larv_tot[i,k])
    #second stage of density dependence
    N2_tot[i,k] = N1_hat[i,k] + N1_w[i,k] + st[i,k]
    R_hat[i,k] = N1_hat[i,k] * a2_hat[k] / (1 + b2[i,k] * N2_tot[i,k])
    R_st[i,k] = st[i,k] * a2_st[k] / (1 + b2[i,k] * N2_tot[i,k])
    R[i,k] = N1_w[i,k] * a2[k] / (1 + b2[i,k] * N2_tot[i,k])
    #total N1's
    #hatchery recruits
    #stocked recruits
    #wild recruits
    #subjecting recruits to some mortality before they become age 1's
    #So.5 is set to 1, so this isn't operational here (used for when c
    #mirrors
    nage[i,1,k] = R[i,k] * So.5
    nage[i,1,1] = nage[i,1,2]; nage[i,1,nsites-2] = nage[i,1,nsites-1]
    nage_hat[i,1,k] = R_hat[i,k] * So.5
    nage_hat[i,1,1] = nage_hat[i,1,2]; nage_hat[i,1,nsites-2] = nage_hat[i,1,nsites-1] #mirrors
    nage_st[i,1,k] = R_st[i,k] * So.5
    nage_st[i,1,1] = nage_st[i,1,2]; nage_st[i,1,nsites-2] = nage_st[i,1,nsites-1] #mirrors
    #note here is where you would have added post recruit st
```



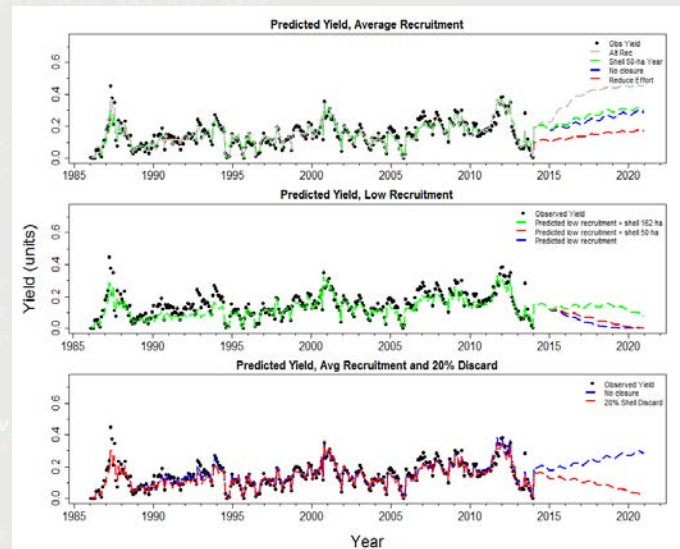
1. Oysters and fisheries assumptions
2. Translate to math and statistical equations
3. Revise with CAB input
4. Fit to data
5. Repeat 3-4

# 4. Model in a nutshell

```
for (i in 2:years){
  for (k in 2:(nsites-1)) {
    #actual effort
    effort[i,k] = fishing * (1 - exp(-et[i,k] * qt))
    #Set up stocking, no stocking, or any years, then start stocking at a constant rate
    st[i,sites] = 0; if (i == 0) st[i,sites] = stock[k] * (1 -ism)
    #total stock
    ssb_tot[i,k] = eggs[i-1,k] + eggs_hat[i-1,k]
    ssb_tot[i,k] = ssb_tot[i,k]; ssb_tot[i,nsites-2] = ssb_tot[i,nsites-1];
    #larvae
    larv[i,k] = sum(eggs[i-1,sites] * prob_mat[k,sites])
    larv_hat[i,k] = sum(eggs_hat[i-1,sites] * prob_mat[k,sites])
    larv_tot[i,k] = larv[i,k] + larv_hat[i,k]
    larv_tot[i,nsites-2] = larv_tot[i,nsites-1];
    #first stage of density dependence
    N1_hat[i,k] = (1 - hert_hat) * f[i,k] * a1_hat[k] * (1 - b1[i,k]) * larv
    N1_w[i,k] = (1 - hert_hat) * f[i,k] * a1[k] * (1 - b1[i,k]) * larv_hat[i,k]
    #second stage of density dependence
    N2_tot[i,k] = N1_hat[i,k] + N1_w[i,k] + st[i,k]
    R_hat[i,k] = N1_hat[i,k] * a2_hat[k] / (1 - b2[i,k] * N2_tot[i,k])
    R_st[i,k] = st[i,k] * a2_st[k] / (1 - b2[i,k] * N2_tot[i,k])
    R[i,k] = N1_w[i,k] * a2[k] / (1 - b2[i,k] * N2_tot[i,k])
    #subjecting recruits to some mortality before they become age 1's
    nage[i,1,k] = R[i,k] * So.5
    nage[i,1,1] = nage[i,1,2]; nage[i,1,nsites+2] = nage[i,1,nsites+1]
    nage_hat[i,1,k] = R_hat[i,k] * So.5
    nage_hat[i,1,1] = nage_hat[i,1,2]; nage_hat[i,1,nsites+2] = nage_hat[i,1,nsites+1]
    nage_st[i,1,k] = R_st[i,k] * So.5
    nage_st[i,1,1] = nage_st[i,1,2]; nage_st[i,1,nsites+2] = nage_st[i,1,nsites+1]
```

1. Oysters and fisheries assumptions
2. Translate to math and statistical equations
3. Revise with CAB input
4. Fit to data
5. Repeat 3-4
6. Make predictions

- Environment
- Management
- Restoration



## 5. Model Objectives

1. Make discussions easier/more fruitful
2. Predict likely and unlikely outcomes of action
3. Increase understanding of oysters & fisheries
- ~~4. Be a perfect representation of reality~~

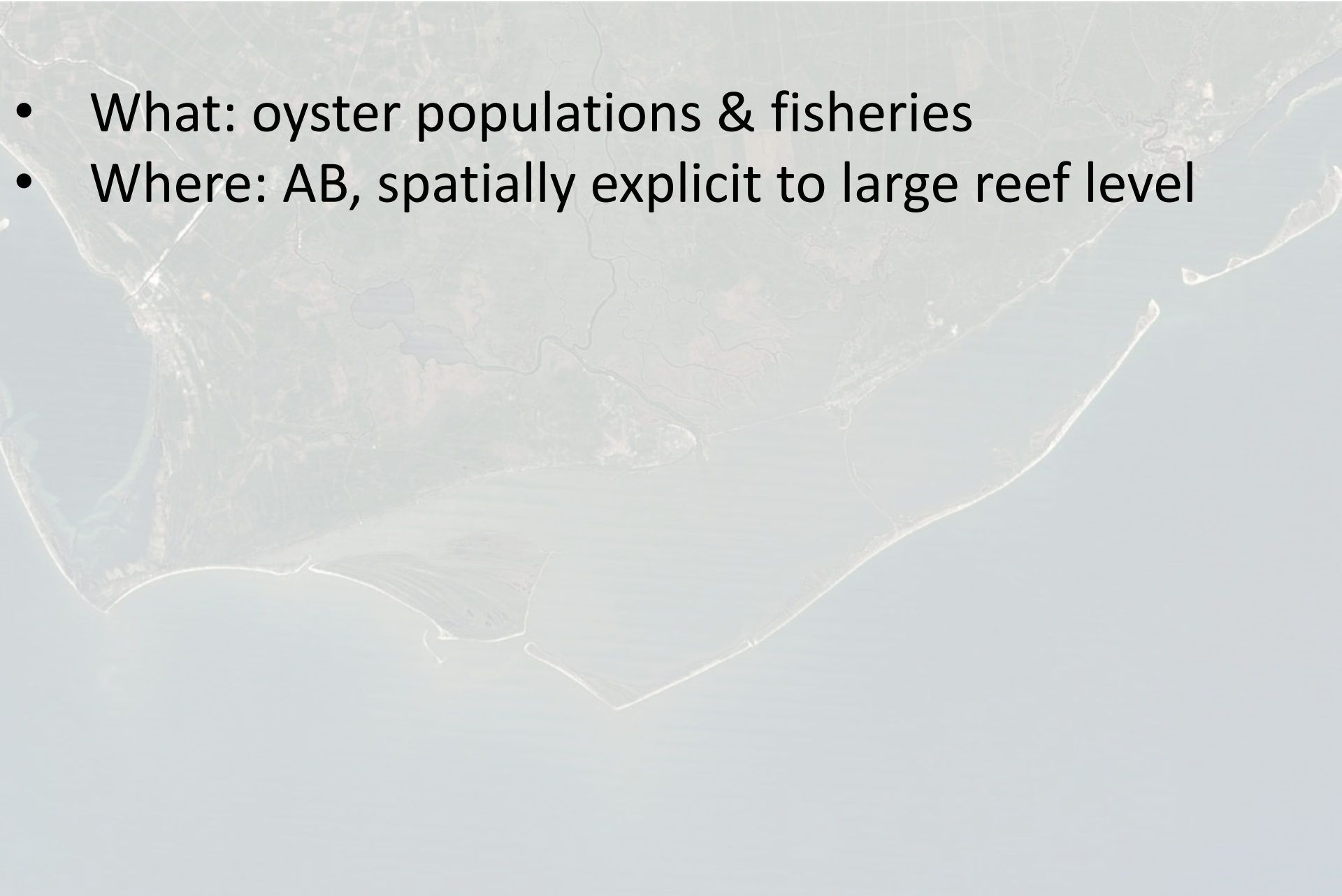
## 6. Model Structure

- What: oyster populations & fisheries



## 6. Model Structure

- What: oyster populations & fisheries
- Where: AB, spatially explicit to large reef level



## 6. Model Structure

- What: oyster populations & fisheries
- Where: AB, spatially explicit to large reef level
- When: Future simulation based on past

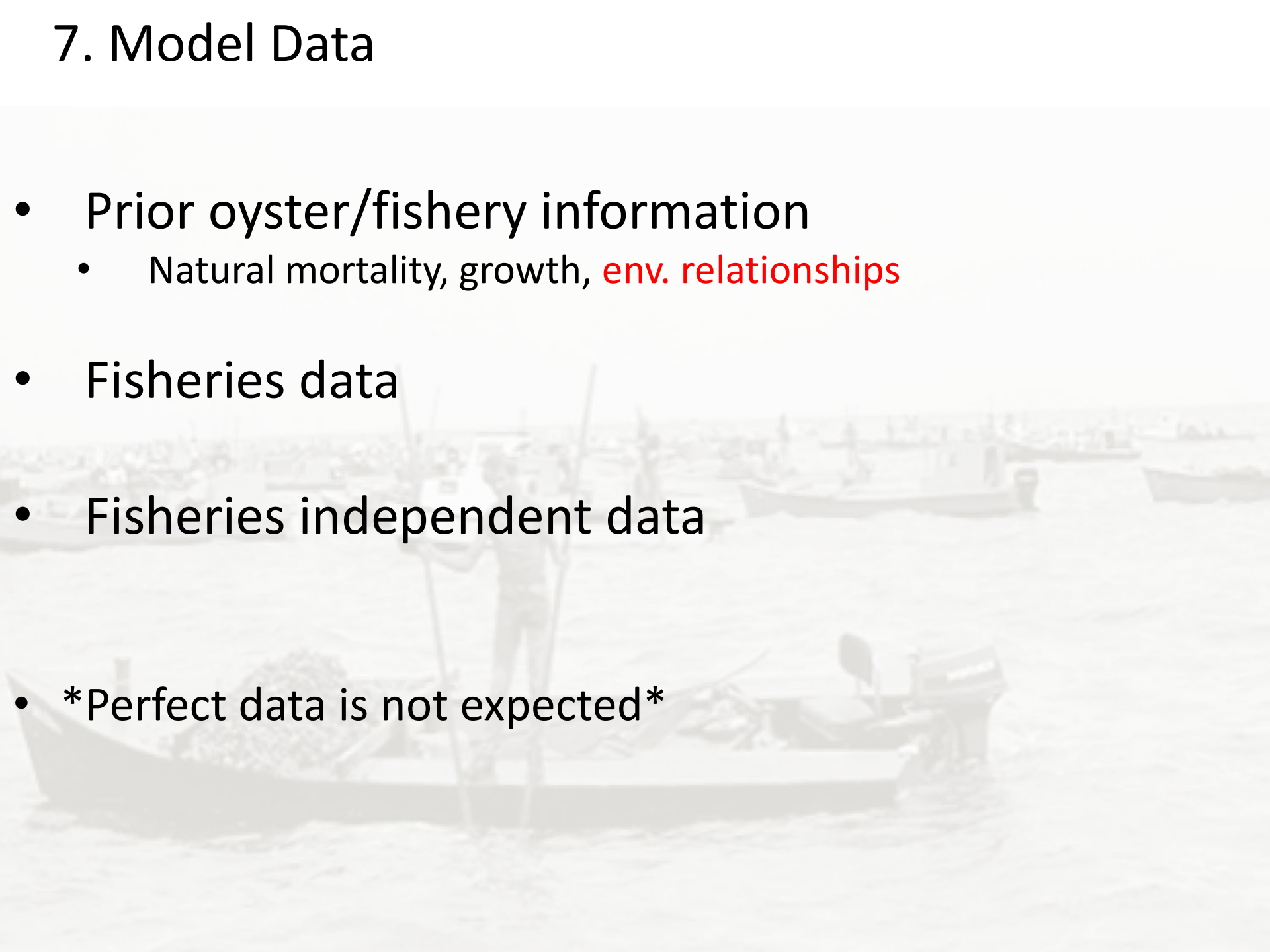


## 6. Model Structure

- What: oyster populations & fisheries
- Where: AB, spatially explicit to large reef level
- When: Future simulation based on past
- “Structure”: Age- and stage-structured, so:
  - Oyster larvae
  - Oyster recruits
  - Oyster populations in monthly ages
  - Oyster harvest
  - Oyster shell

## 7. Model Data

- Prior oyster/fishery information
  - Natural mortality, growth, **env. relationships**
- Fisheries data
- Fisheries independent data
- \*Perfect data is not expected\*



# 8. Model Outputs

- Oyster population metrics
  - Recruits
  - Adults
  - Shell
- Fishery Metrics
  - Fisher behavior?
  - Harvest
  - Yield
  - Price/revenue?



## 8. Model Outputs: what's the point?

- “What if” analyses
  - Harvest
  - Restoration
  - Water use/mgmt.
- Outcomes
  - Expected
  - Unexpected
  - Ranges probable





# Questions and concerns

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